

Multi Sorted Species

$$F: \mathbb{B} \longrightarrow \mathbb{B} \quad \text{List}(L:LT): CS(L)$$

$$CS(L:LT): (at := LT+..)$$

$$M: \mathbb{B}^k \longrightarrow \mathbb{B}$$

$$(F \circ G)(L) \quad G_1, \dots, G_k: \mathbb{B}^m \longrightarrow \mathbb{B}$$

$$M(G_1(L_1, \dots, L_m), \dots, G_k(L_1, \dots, L_m))$$

$$M: \mathbb{B}^k \rightarrow \mathbb{B}$$

$$M(T: \text{Tuple}(\overset{PT}{MCS(?)})) : \overset{PT}{MCS(\dots)} = =$$

$$P_{ij}: I \rightarrow T_i$$

$$P_{rj}: (\%, i: I) \rightarrow T_i$$

$$\begin{bmatrix} \\ \end{bmatrix}$$

$$M(\text{Int}, \text{Str})$$

$$(T, \text{List}) \mapsto (\text{List } T_1, \dots, \text{List } T_k)$$

$$(\text{Int}, \text{Str}) \mapsto (\text{List Int}, \text{List Str})$$

$T : \text{Tuple}(\text{Type}) == (I, S, F)$

$F(T : \text{Tuple}(\text{Type}), \mathcal{U} : \mathcal{M}(T)) : \dots == \{$
 for i in $1.. \text{length}(T)$ return $\{$

$t_{ij} : TI$
 where $\{ j = i; \}$
 $\{ TJ == T_i \}$

$T_{th}(S : \text{Type}) : \text{with}$
 $\{ \text{tuple} : \text{Gen } S \rightarrow \% \}$

structures $([1..?], ["a", "b"])$ ^{(Int, Str)} $(1, "a")$

$T: \text{Tuple}(\text{Ring})$

$C == \text{Cross}(T)$

$C: \underbrace{\text{Cross}(\text{Ring}, \text{Matrix})}_{\text{Domain}} = \underbrace{(\text{Int}, \text{Str})}_{\text{element}}$

$t: \text{Type} == \text{Cross}(c)$

$f(T_1: \text{Type}, T_2: \text{Type}): \dots == \dots$

$f(c)$

```
template <typename C>
class Algebra
{
public:
    typedef list<C> Carrier_t;
    ;

};
```

$F(A:C1, B:C2)$ with $\{$

~~%domain~~: C1;

~~%type~~: C2;

$\}$

== Terza Maffey Cst.

R : with $\{$
~~%type~~
 $f : \mathcal{C} \rightarrow \mathcal{C}$

$\Pi - a : (C_{\text{ms}}(A, B))$

$\text{fst } a : A \wedge \text{snd } a : B$

$a : D_{\text{ms}}(x:A, B(x)) \quad (c_{\text{ms}}(g:A(s), h:B(s)))$

$\text{fst } a : *$ in $\text{let } (u, v) = a$ in

$u:A, v:B(x)$